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Production of $Y(1S)$ Mesons from $\chi_b$ Decays in $p\bar{p}$ Collisions at $\sqrt{s} = 1.8$ TeV

We have reconstructed the radiative decays \( \chi_b(1P) \rightarrow Y(1S)\gamma \) and \( \chi_b(2P) \rightarrow Y(1S)\gamma \) in \( p\overline{p} \) collisions at \( \sqrt{s} = 1.8 \) TeV, and measured the fraction of \( Y(1S) \) mesons that originate from these decays. For \( Y(1S) \) mesons with \( p_T > 8.0 \) GeV/c, the fractions that come from \( \chi_b(1P) \) and \( \chi_b(2P) \) decays are \( [27.1 \pm 6.9\text{(stat)} \pm 4.4\text{(syst)}]\% \) and \( [10.5 \pm 4.4\text{(stat)} \pm 1.4\text{(syst)}]\% \), respectively. We have derived the fraction of directly produced \( Y(1S) \) mesons to be \( [50.9 \pm 8.2\text{(stat)} \pm 9.0\text{(syst)}]\% \).

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The large discrepancies between the charmonium production cross sections measured by the Collider Detector at Fermilab (CDF) [1] and the predictions of the color singlet model (CSM) can be explained in a theoretical framework based on nonrelativistic QCD [2]. In this model, originally developed to describe rigorously the decay of heavy quarkonium states, the production process is factorized into short distance cross sections to produce the heavy quark pair, and long distance matrix elements, describing their binding into the quarkonium state. These matrix elements must be determined from experimental data but are assumed to be independent of the reaction and can be used to predict other processes. A consequence of this approach, when applied to charmonium production in $p\bar{p}$ collisions, is the realization that $c\bar{c}$ pairs, produced at short distance in a color-octet state, are responsible for the bulk of the cross section. In the bottomonium sector CDF has measured the inclusive production cross section of $Y(1S)$, $Y(2S)$, and $Y(3S)$. The prediction of CSM underestimates the measured rate, although by a smaller amount than found for charmonium [3]. Color-octet contributions can account for the discrepancies, but data on the inclusive Y cross section alone are not enough to extract the matrix elements without assumptions [4]. In order to do this, one needs to separate experimentally the Y’s produced directly from those arising from the decays of heavier mesons.

In this Letter we report a study of the reaction $p\bar{p} \rightarrow \chi_b X$, $\chi_b \rightarrow Y(1S)\gamma$, and $Y(1S) \rightarrow \mu^+\mu^-$ at $\sqrt{s} = 1.8$ TeV using CDF. This analysis, based on approximately 90 $pb^{-1}$ of data collected during the 1994–1995 collider run, describes the first observation of $\chi_b$ mesons at a hadron collider. Since the branching fractions for $\chi_b$ decays into other modes containing an $Y(1S)$ are expected to be small, this study allows us to measure the contribution of $\chi_b$ decays to $Y(1S)$ production. Even though $Y$ mesons can be reconstructed at CDF throughout the low $p_T^\gamma$ region, we perform this measurement only for $p_T^\gamma > 8.0$ GeV/$c$ because at lower $p_T^\gamma$ the photon emitted in the radiative $\chi_b$ decay is not energetic enough to be detected efficiently. In this analysis we do not study transitions of $\chi_b$ mesons to $Y(2S)$ because photons from this decay have even lower energy.

The CDF detector has been described in detail elsewhere [5]. The events used in this analysis were collected with a three-level trigger system which selects events consistent with the presence of two muons. The first level required that two candidates be observed in the muon chambers. The second level required that two or more charged particle tracks, partially reconstructed in the central tracking chamber (CTC) using a fast processor, matched within 15° in $\phi$ (the azimuthal angle) the muon candidates. The third level required better precision on the azimuthal matching and required the dimuon invariant mass to be between 8.5 and 11.4 GeV/$c^2$.

To identify $Y$’s we select pairs of oppositely charged muon candidates with $p_T > 2.0$ GeV/$c^2$. Since $Y$ mesons do not originate from long-lived particles [6], we constrain the muon tracks to originate from the primary interaction point to improve mass resolution. Figure 1 shows the resulting dimuon invariant mass distribution after the requirement that the muon pair has $p_T(\mu^+\mu^-) > 8.0$ GeV/$c$. The three peaks correspond to the $Y(1S)$, $Y(2S)$, and $Y(3S)$ resonances. Because of the trigger and muon acceptance, the pseudorapidity of the muon pairs is limited to the central region, corresponding approximately to $|\eta(\mu^+\mu^-)| < 0.7$, where $\eta = -\ln(\tan(\theta/2))$ and $\theta$ is the polar angle with respect to the beam axis. A muon pair is considered an $Y(1S)$ candidate if its invariant mass is in the signal region defined by 9300 MeV/$c^2 < M(\mu^+\mu^-) < 9600$ MeV/$c^2$; this selection yields a sample of 2186 events. The number of background events in this sample is obtained by fitting the invariant mass distribution to a polynomial plus three Gaussians and integrating the function associated with the background in the signal region. The resulting number of $Y(1S)$ mesons is 1462 ± 55.

Photon candidates are selected by demanding a transverse energy deposition of at least 0.7 GeV in a cell of the central electromagnetic calorimeter and a signal in the fiducial volume of the proportional chambers (CES) which are embedded in the calorimeter at a depth of six radiation lengths. The fiducial volume requirement ensures that the shower is fully contained in a cell. The location of the signal in the CES chambers and the event interaction point determine the direction of the photon momentum; its magnitude is the energy deposited in the calorimeter. We correct the photon energy for the energy lost in the

![Image](image-url)
material in front of the calorimeter based on a simulation of the detector response to photons. For low energy photons the average correction factor varies from 1.03 to 1.14 depending on the polar angle. We have verified that the simulation is trustworthy by comparing the simulated electron response with the response of electrons from photon conversions found in the data.

To reduce the combinatorial background resulting from multiple photon candidates per event we apply the following isolation requirements to the photon: (a) no charged particle track should point to the photon cell, (b) only one CES cluster should be associated with the cell, and (c) the total electromagnetic energy in the eight cells neighboring the photon must be less than 0.5 GeV. The $Y(1S)$ is combined with all remaining photons within the 90° cone around the $Y(1S)$, and the invariant mass difference, $\Delta M = M(\mu^+\mu^-\gamma) - M(\mu^+\mu^-)$, is calculated. The $\Delta M$ distribution, after the cut $p_T^\gamma > 8.0$ GeV/c, is shown in Fig. 2. There are two well separated signals; their masses and widths are consistent with expectations based on a simulation of the radiative decays of the $\chi_b(1P)$ and $\chi_b(2P)$ mesons. The individual angular momentum states of the $\chi_b$’s ($J = 0, 1, 2$), however, cannot be resolved.

The shape of the background, resulting from combinations of the $Y(1S)$ with photons unassociated with $\chi_b$ decays, is obtained with a Monte Carlo method that uses $Y(1S)$ candidate events as input. We consider as sources of photons: (a) decays of $\pi^0$ that are not from $\eta$ or $K_S^0$ decays, (b) $\eta$ decays, and (c) $K_S^0$ decays. These sources are simulated by replacing each charged particle in the event, other than the two muons, with a $\pi^0$, $\eta$, or $K_S^0$ with probabilities proportional to 4:2:1. These proportions follow from isospin symmetry and the ratios $K^\pm/\pi^\pm = 0.25$, $\eta/\pi^0 = 0.5$ [7]. Uncertainties in these ratios are considered as sources of systematic uncertainty. The response of the detector to the photons resulting from the decay of these embedded neutral particles is calculated using a Monte Carlo simulation. Applying the $\chi_b$ reconstruction to these events results in a mass distribution that models the shape of the background. This model was tested by comparing the Monte Carlo distribution obtained using events in the mass sidebands of the $Y(1S)$ peak, with the corresponding distribution obtained directly from the data where there should be no $\chi_b$ signal. The two distributions agree well, as shown in the inset of Fig. 2. The number of $\chi_b$ signal events is determined by fitting the data $\Delta M$ distribution to the sum of the background distribution, with an unconstrained normalization, and two Gaussian functions associated with the signals. The mass resolution was fixed to the value calculated by the simulation ($60$ and $93$ MeV/c$^2$). The fit results in $35.3 \pm 9.0$ and $28.5 \pm 12.0$ signal events for $\chi_b(1P)$ and $\chi_b(2P)$, respectively.

The fraction of $Y(1S)$ mesons originating from $\chi_b$ decays is calculated according to the equation

$$F_{\chi_b}^{Y(1S)} = \frac{N_{\chi_b}^Y}{N_Y A_Y \epsilon_Y}$$

where $N_{\chi_b}^Y$ and $N_Y$ are the numbers of reconstructed $\chi_b$ and $Y(1S)$ mesons, respectively, $A_Y$ is the probability to reconstruct the photon once the $Y(1S)$ is found, and $\epsilon_Y$ is the efficiency of the isolation cuts.

The photon acceptance, $A_Y$, is the product of the probability that the photon is within the fiducial volume and the reconstruction efficiency of the fiducial photon. The geometric acceptance is determined by using a Monte Carlo simulation, where $\chi_b$’s are generated uniformly in pseudorapidity, and with a $p_T$ distribution equal to the measured $Y(1S)$ spectrum [3]. The $\chi_b \rightarrow Y(1S)\gamma$ decay is generated with a uniform angular distribution in the $\gamma$ rest frame. The $Y(1S) \rightarrow \mu^+\mu^-$ decay is also generated uniformly in the $Y(1S)$ rest frame, and the trigger simulation is applied to the decay muons. Uncertainties associated with the $p_T$ spectrum used for the production of $\chi_b$ mesons and with the unknown $\chi_b$ polarization are considered as sources of systematic uncertainty. The photon reconstruction efficiency is obtained from the data by applying the photon requirements, except for the isolation cuts, to a sample of electrons from photon conversions selected using only tracking information. This efficiency is
then corrected for the known differences in the detector response between photons and electrons. The reconstruction efficiency rises from 17% to 85% for a photon with $E_T$ ranging from 0.7 to 1.4 GeV. For $p_T > 8.0$ GeV/c, the photon acceptance is 0.142 ± 0.004(stat) and 0.284 ± 0.006(stat) for $\chi_b(1P)$ and $\chi_b(2P)$, respectively. The large difference is entirely due to the mass difference between the parent particles, resulting in different photon energies.

To study the effect of the isolation cuts we use a Monte Carlo method that uses $Y(1S)$ candidate events as input. For each event, we generate a vector distributed according to the angular distribution of the photon, relative to the $Y(1S)$ momentum, obtained by simulating the decay $\chi_b \rightarrow Y(1S)\gamma$. The probability that the isolation requirements are satisfied when applied to the calorimeter cell intercepted by the vector gives the cut efficiency. Since there are background events in the $Y(1S)$ signal region, we measure the efficiency in the signal and sideband regions and derive the efficiency associated with $Y(1S)$ mesons. The resulting efficiency is $\varepsilon^\gamma = 0.627 \pm 0.013$ (stat) for $\chi_b(1P)$ and $\varepsilon^\gamma = 0.651 \pm 0.013$ (stat) for $\chi_b(2P)$; the difference is due to the different kinematics of the decays. We assume that this efficiency, calculated from the inclusive sample of $Y(1S)$ events, is applicable to the subsample of interest, where the $Y(1S)$ originates from a $\chi_b$. This assumption is supported by a study using samples of $J/\psi$ events. We calculate $\varepsilon^\gamma$ using the inclusive sample of $J/\psi$ events, with the Monte Carlo method just described, and independently using a pure sample of $J/\psi$ from $\chi_c$ decay. The latter is the sample of $\chi_c \rightarrow J/\psi\gamma$ reconstructed by requiring the photon to convert into an electron-positron pair. In this sample we measure the efficiency by applying the isolation cuts to the calorimeter cell which would have been hit by the photon, had it not converted [8]. This measurement yields an efficiency of 0.57 ± 0.06 (stat); the Monte Carlo calculation is in good agreement, yielding an efficiency of 0.56 ± 0.01 (stat).

The systematic uncertainty on $F^{Y(1S)}_{\text{dir}}$ associated with the $\chi_b$ production and decay model is estimated by varying the shape of the $p_T$ spectrum as well as the decay angular distribution to account for fully polarized $\chi_b$’s; the uncertainty is ±13% for $\chi_b(1P)$ and ±9% for $\chi_b(2P)$. The uncertainty in the determination of $N^{Y(1S)}$ is ±7% for $\chi_b(1P)$ and ±9% for $\chi_b(2P)$. This includes the effect of varying the $\pi^0$, $\eta$, and $K^0_S$ composition in our background model from 4.2:1 to all $\pi^0$, and a variation of ±2% of the calorimeter energy scale used in the simulation. It also includes the effect of varying the resolution of the Gaussians used in the fit by ±6%, the uncertainty on the resolution. An uncertainty of ±6% for $\chi_b(1P)$ and ±3% for $\chi_b(2P)$ is associated with the estimation of the detector response difference between photons and electrons. An additional ±4% uncertainty arises from the statistical and systematic uncertainties associated with $\varepsilon^\gamma$. We combine these uncertainties, assuming they are independent, into a total systematic uncertainty of ±16.4% for $\chi_b(1P)$ and ±13.7% for $\chi_b(2P)$. The fractions of $Y(1S)$ mesons, with $p_T^Y > 8.0$ GeV/c, which come from $\chi_b(1P)$ and $\chi_b(2P)$ decays, are [27.1 ± 6.9(stat) ± 4.4(syst)%] and [10.5 ± 4.4(stat) ± 1.4(syst)%], respectively.

To calculate the fraction of directly produced $Y(1S)$ mesons we must estimate the fraction of $Y(1S)$’s associated with sources other than $\chi_b(1P)$ and $\chi_b(2P)$. We calculate the contribution due to $Y(2S)$, $Y(3S) \rightarrow Y(1S)\pi\pi$ using a Monte Carlo simulation of these decays normalized with the $Y(2S)$ and $Y(3S)$ cross section measured in this experiment [3]. We find that the fraction of $Y(1S)$’s, with $p_T^Y > 8.0$ GeV/c, from $Y(2S)$ and $Y(3S)$ decays, is (10.7±7.7)% and (0.8±0.2)% respectively. An additional contribution could be associated with the yet unobserved $\chi_b(3P)$ mesons. These states are predicted to lie below $B\bar{B}$ threshold and to decay radiatively to $Y(1S)$, $Y(2S)$, and $Y(3S)$. An upper limit on the fraction of $Y(1S)$’s from $\chi_b(3P)$ decays can be calculated with the conservative assumption that all $Y(3S)$ mesons in our data come from $\chi_b(3P)$ decays. To estimate the contribution to $Y(1S)$, relative to $Y(3S)$, we have used a theoretical calculation of the radiative decay widths of the $\chi_b(3P)$ [9] and the detector simulation to take into account the effect of the trigger and kinematical cuts. Our estimate is that fewer than 6% of the $Y(1S)$’s, with $p_T^Y > 8.0$ GeV/c, arise from $\chi_b(3P)$ decays. We derive the fraction of directly produced $Y(1S)$ mesons according to the equation $F_{\text{dir}}^{Y(1S)} = 1 - F_{\chi_b}^{Y(1S)} - F_Y^{Y(1S)}$, where $F_Y^{Y(1S)}$ is the fraction of $Y(1S)$’s from $Y(2S)$ and $Y(3S)$. Systematic uncertainties on $F_{\text{dir}}^{Y(1S)}$ arise from uncertainties on the $Y(2S)$ cross section and branching fractions. The upper limit on the contribution from $\chi_b(3P)$ decays is also considered a systematic uncertainty, and is added in quadrature to the negative error. We find $F_{\text{dir}}^{Y(1S)} = [50.9 \pm 8.2\text{(stat)} \pm 9.0\text{(syst)}]\%$ for $p_T^Y > 8.0$ GeV/c.

In conclusion, we have measured the fraction of $Y(1S)$ mesons originating from $\chi_b$ decays and derived the fraction of directly produced $Y(1S)$’s. We find that [27.1 ± 6.9(stat) ± 4.4(syst)]% of all $Y(1S)$ mesons with $p_T^Y > 8.0$ GeV/c come from $\chi_b(1P)$ decays, [10.5 ± 4.4(stat) ± 1.4(syst)]% come from $\chi_b(2P)$ decays, and [50.9 ± 8.2(stat) ± 9.0(syst)]% are directly produced. A calculation based on the color singlet model [10] predicts a contribution of about 41% from $\chi_b(1P)$, and 13% from $\chi_b(2P)$, for $p_T^Y > 8.0$ GeV/c. This measurement will allow the determination of the matrix elements associated with the production of $\chi_b(1P)$, $\chi_b(2P)$, and $Y(1S)$ mesons, thus providing information on color-octet contributions in bottomonium production.

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[8] The small conversion probability and the lower available statistics prevent us from applying this technique directly in the Y(1S) sample.
[10] A. K. Leibovich (private communication). The calculation is based on the color singlet, leading order contribution, as described in [4].